Foundation University
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## RECAP

O MY NAME IS

○ I REMEMBER.........

Objective of Today's Lecture

Relations and Relational Algebra

## RDM - Two Major Strengths

Simplicity - Relation Form

Strong Mathematical Foundation

## Relational Data Model

O Presented by E, F. Codd in 1970

- Before Relational Data Model, two older data models were in use;
- Hierarchical

O Network

## Basics of RDM

O Mainly used for external, conceptual, and to some extent physical schema.

- Separation of conceptual and physical levels makes manipulation much easier, contrary to previous data models.


## Basics of RDM

O The basic structure is relation.
o Relations physically represented as tables.
Consists of rows and columns
O Both entities and relationships are modeled using tables/relations.

## Basics of RDM

o Columns represent attributes and rows represent records.

O Rows, records and tuples all these terms are used interchangeably.

## A Table/Relation

| stID | stName | clName | doB | Gender |
| :--- | :--- | :--- | :--- | :--- |
| S001 | Zofeen | BCSE | $12 / 6 / 92$ | F |
| S002 | Rohaf | BCSE | $3 / 9 / 92$ | M |
| S003 | Noshail | BSCS | $7 / 8 / 93$ | F |
| S004 | Rameen | BCA | $23 / 4 / 94$ | F |
| S005 | Bilaval | BBA | $22 / 7 / 93$ | M |

## Relation - Terminology

- Degree of a relation: how long the tuples are, or how many columns the table has.

0 In the exemplary relation, degree of the relation is 5

- Cardinality of the relation: how many different tuples are there, or how many different rows the table has.

O In the exemplary relation, cardinality of the relation is 5

## Mathematical Relations

- Consider two sets
$A=\{x, y\}$
$B=\{2,4,6\}$
- Cartesian product of these sets $A X B=\{(x, 2),(x, 4),(x, 6),(y, 2),(y, 4),(y, 6)\}$


## Mathematical Relations

- A relation is some subset of this Cartesian product, For example
$R 1=\{(x, 2),(y, 2),(x, 6),(x, 4)\}$
$R 2=\{(x, 4),(y, 6),(y, 4)\}$


## Relational Model: Data Manipulation

O Data is represented as relations.

- Manipulation of data (query and update operations) corresponds to operations on relations.
- Relational algebra describes those operations. They take relations as arguments and produce new relations.
- Think of numbers and corresponding operators,,+- 1 , * or booleans and corresponding operators \&, |,! (and, or, not).
- Relational algebra contains two kinds of operators: common set-theoretic ones and operators specific to relations (for example projecting on one of the columns).


## Union

O Standard set-theoretic definition of union:
$A \cup B=\{x: x \in A$ or $x \in B\}$

O For example, $\{a, b, c\} \cup\{a, d, e\}=\{a, b, c, d, e\}$

- So we require in order to take a union of relations $R$ and $S$ that $R$ and $S$ have the same number of columns and that corresponding columns have the same domains.


## Union - Compatible Relations

o Two relations $R$ and $S$ are union-compatible if they have the same number of columns and corresponding columns have the same domains.

## Example: Not Union Compatible

o Not Compatible!
O Different number of columns!

| Anne | aaa | 111111 |
| :---: | :--- | :--- |
| Bob | bbb | 222222 |
| Chris | ccc | 333333 |


| Tom | 1980 |
| :--- | :--- |
| Sam | 1985 |
| Steve | 1986 |

## Example: Not Union Compatible

- Not Compatible!
- Different domains for the second column!

| Anne | aaa |
| :---: | :---: |
| Bob | bbb |
| Chris | ccc |


| Tom | 1980 |
| :---: | :---: |
| Sam | 1985 |
| Steve | 1986 |

## Example: Union-Compatible

| Anne | 1970 |
| :--- | :--- |
| Bob | 1971 |
| Chris | 1972 |


| Tom | 1980 |
| :--- | :--- |
| Sam | 1985 |
| Steve | 1986 |

## Union of Two Relations

0 Let $R$ and $S$ be two union-compatible relations. Then their union $R \cup S$ is a relation which contains tuples from both relations:

$$
R \cup S=\{x: x \in R \text { or } x \in S\} \text {. }
$$

O Note that union is a partial operation on relations: it is only defined for some (compatible) relations, not for all of them.

O Similar to division for numbers (result of division by 0 is not defined).

## Example: Shopping Lists

R

| Cheese | 1.34 |
| :--- | :--- |
| Milk | 0.80 |
| Bread | 0.60 |
| Eggs | 1.20 |
| Soap | 1.00 |


| Cream | 5.00 |
| :--- | :--- |
| Soap | 1.00 |

$R \cup S$

| Cheese | 1.34 |
| :--- | ---: |
| Milk | 0.80 |
| Bread | 0.60 |
| Eggs | 1.20 |
| Soap | 1.00 |
| Cream | 5.00 |

## Difference of Two Relations

Let $R$ and $S$ be two union-compatible relations. Then their difference $R-S$ is a relation which contains tuples which are in $R$ but not in $S$ :

$$
R-S=\{x: x \in R \text { and } x \notin S\} \text {. }
$$

O Note that difference is also a partial operation on relations.

## Example

## R

s

| Cream | 5.00 |
| :--- | :--- |
| Soap | 1.00 |

$R-S$

| Cheese | 1.34 |
| :--- | ---: |
| Milk | 0.80 |
| Bread | 0.60 |
| Eggs | 1.20 |
| Soap | 1.00 |

Cheese 1.34 Milk 0.80 Bread 0.60
Eggs 1.20

## Intersection of Two Relations

O Let $R$ and $S$ be two union-compatible relations. Then their intersection is a relation $R \cap S$ which contains tuples which are both in $R$ and $S$ :

$$
R \cap S=\{x: x \in R \text { and } x \in S\}
$$

O Note that intersection is also a partial operation on relations.

## Intersection

## R

s
$R \cap S$

| Cheese | 1.34 |
| :--- | :--- |
| Milk | 0.80 |
| Bread | 0.60 |
| Eggs | 1.20 |
| Soap | 1.00 |


| Cream | 5.00 |
| :--- | :--- |
| Soap | 1.00 |

$$
\text { Soap } 1.00
$$

## CHHUTTI

$$
\begin{aligned}
& \text { AND THAJT JS } \\
& \text { FARENYELL TO } \\
& \text { DAY } 15 \text { © }
\end{aligned}
$$

